

國立臺灣科技大學

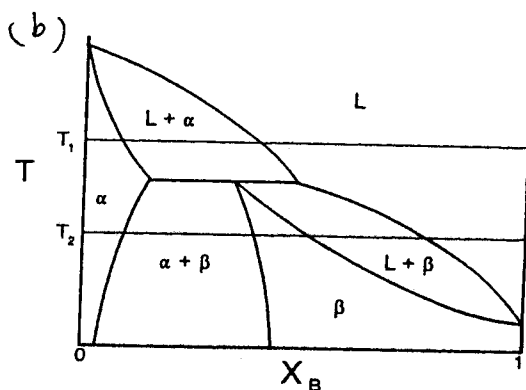
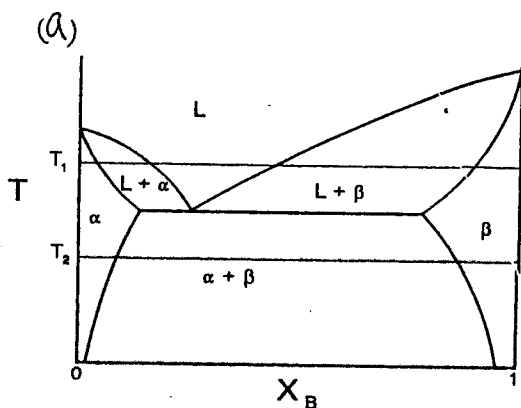
九十一學年度碩士班招生考試試題

系所組別：工程技術研究所材料科技學程

科目：熱力學

(共 4 題，總分 100 分)

- (20%) For an open system containing  $N$  components, each component has  $n_i$  moles;  $i = 1, 2, 3, \dots, N$ .
  - (10%) please derive the universal criteria for an irreversible process. (Gibbs-Duhem equation)
  - (10%) please describe in details how to determine the most stable state.
- (30%) Please draw appropriately molar Gibbs free energy versus composition diagrams at the indicated temperatures for the two A and B binary systems whose phase diagrams appear below.



- (30%) A real gas is described by Van der Waals equation  $\left(P + \frac{a}{v^2}\right)(v - b) = RT$ , where  $P$  is pressure,  $v$  is molar volume,  $T$  is temperature,  $R$  is the gas constant, and  $a$  and  $b$  are positive constants. Below the critical point  $T_c$ , the liquid and the gas phases can coexist.
  - (6%) Please plot the corresponding  $P$  versus  $v$  at  $T > T_c$ ,  $T = T_c$ , and  $T < T_c$ , respectively.
  - (4%) What is the change of molar Gibbs free energy  $\Delta g$  from state 1 with  $P_1, v_1$  to state 2 with  $P_2, v_2$  when  $T$  is a constant?
  - (6%) Please plot the corresponding  $\Delta g$  versus  $P$  at  $T > T_c$ ,  $T = T_c$ , and  $T < T_c$ , respectively.
  - (6%) Are the  $P$ - $v$  curves of part (a) and the  $\Delta g$ - $P$  curves of part (c) corresponding the truly most stable state curves? if not, please draw the  $P$ - $v$  curves and  $\Delta g$ - $P$  curves corresponding to the most stable states.
  - (8%) Please determine the critical temperature, critical molar volume, and critical pressure.
- (20%) Please find the work  $W$ , the heat  $Q$ , the change of internal free energy  $\Delta U$ , the change of enthalpy  $\Delta H$ , and the change of Gibbs free energy  $\Delta G$ , for an isothermal reversible expansion from an initial volume  $V_1$  to a final volume  $V_2$  for  $n$  moles of a gas which obeys the equation  $P(V - nb) = nRT$ .  
(Hint:  $\left.\frac{\partial U}{\partial V}\right|_T = T \left.\frac{\partial P}{\partial T}\right|_V - P$ )

